

MARKING SCHEME, H.O.S.,SAMPLE PAPER 1, 10TH
MATHS(Standard) , (2026-27)
(ENGLISH MEDIUM)

Q. no.	Expected solutions	marks
Section-A		
1.	(b) 2 :1	1
2.	(b) 9	1
3.	(c) $\frac{2}{3}, \frac{2\sqrt{2}}{3}$	1
4.	(c) $\frac{15}{4}$	1
5.	(a) 4	1
6.	(c) 2 distinct real roots	1
7.	(b) 3	1
8.	(b) 3	1
9.	(c) n^2	1
10.	(a) -12	1
11.	(c) $x = \frac{ay}{a+b}$	1
12.	(d) Equilateral triangle	1
13.	(b) 15cm	1
14.	Secant	1
15.	7 cm	1
16.	(c) $\frac{\sqrt{b^2-a^2}}{b}$	1
17.	$\frac{\sqrt{3} + 1}{2}$	1
18.	60°	1
19.	(c) 1 : 4	1
20.	22 cm	1
21.	3:1	1
22.	median (माध्यक)	1
23.	$\frac{1}{7}$	1
24.	(b) 0 and 1	

SECTION-B		
25.	क्या संख्या 6^n ,जहाँ n एक प्राकृत संख्या है, अंक 5 पर समाप्त हो सकती है? कारण दीजिए । Can the number 6^n, n being a natural number , end with the digit 5 ? Give	

	reasons. No, Here $6^n = (2 \times 3)^n = 2^n \times 3^n$, 2 and 3 are the only primes in the factorisation of 6^n, and not 5. Therefore, it cannot end with the digit 5.	1 1/2 1/2
26.	द्विघात बहुपद $x^2 + \frac{1}{6}x - 2$ के शून्यक ज्ञात कीजिए तथा शून्यकों एवं गुणांकों के बीच संबंध सत्यापित कीजिए। Find the zeroes of the quadratic polynomial $x^2 + \frac{1}{6}x - 2$ and verify the relationship between the zeroes and the coefficients. Solution: Given, the polynomial is $x^2 + \left(\frac{1}{6}\right)x - 2 = \frac{1}{6}(6x^2 + x - 12) = \frac{1}{6}[6x^2 + 9x - 8x - 12]$ $= \frac{1}{6}[3x(2x + 3) - 4(2x + 3)]$ $= \frac{1}{6}(3x - 4)(2x + 3)$ Therefore, the zeros of the polynomial are $4/3$ and $-3/2$. For given polynomial $x^2 + \left(\frac{1}{6}\right)x - 2$ Sum of the roots: $\alpha + \beta$ $= 4/3 + (-3/2)$ $= (8 - 9)/6 = -1/6 = -\text{coefficient of } x / \text{coefficient of } x^2 = -1/6$ Product of the roots $\alpha \beta$ $= (4/3)(-3/2)$ $= -12/6 = -2 = \text{constant term} / \text{coefficient of } x^2$	1 1/2 1/2
27.(a)	यदि सरिता को 30 अंकों के गणित के टेस्ट में 10 अंक और मिले होते, तो इन अंकों का 9 गुना उसके वास्तविक अंकों का वर्ग होता। उसे टेस्ट में कितने अंक मिले? Had Sarita scored 10 more marks in her mathematics test out of 30 marks, 9 times these marks would have been the square of her actual marks. How many marks did she get in the test? Solution:	

	Let the actual marks be x Given, $9(x + 10) = x^2$ $9x + 90 = x^2$ $x^2 - 9x - 90 = 0$ On factoring, $x^2 - 15x + 6x - 90 = 0$ $x(x - 15) + 6(x - 15) = 0$ $(x + 6)(x - 15) = 0$ Now, $x + 6 = 0$ $x = -6$ Also, $x - 15 = 0$ $x = 15$ Negative term $x = -6$ is neglected. So, $x = 15$ Therefore, Sarita scored 15 marks in the examination.	1/2 1/2 1/2 1/2
--	--	---

OR 27.(b)	द्विघात समीकरण $\sqrt{2}x^2 + 7x + 5\sqrt{2} = 0$ के मूल ज्ञात कीजिए। Find the roots of the quadratic equation $\sqrt{2}x^2 + 7x + 5\sqrt{2} = 0$. Solution: $\sqrt{2}x^2 + 7x + 5\sqrt{2} = 0$ $\sqrt{2}x^2 + 5x + 2x + 5\sqrt{2} = 0$ $\sqrt{2}x^2 + 2x + 5x + 5\sqrt{2} = 0$ $(\sqrt{2}x + 5)(x + \sqrt{2}) = 0$ $\sqrt{2}x + 5 = 0$ or $x + \sqrt{2} = 0$ $\sqrt{2}x = -5$ or $x = -\sqrt{2}$ $x = -5/\sqrt{2}$ or $x = -\sqrt{2}$ Therefore, roots are: $-5/\sqrt{2}, -\sqrt{2}$	1 1
28.	बिंदु $(-4, 6)$, बिंदुओं A $(-6, 10)$ और B $(3, -8)$ को मिलाने वाले रेखाखंड को किस अनुपात में विभाजित करता है? In what ratio does the point $(-4, 6)$ divide the line segment joining the points A $(-6, 10)$ and B $(3, -8)$? Solution: Let the ratio in which the line segment joining A $(-6, 10)$ and B $(3, -8)$ be divided by point C $(-4, 6)$ be $k : 1$. By Section formula, $C(x, y) = [(mx_2 + nx_1) / m + n, (my_2 + ny_1) / m + n]$ $m = k, n = 1$ Therefore, $-4 = (3k - 6) / (k + 1)$ and $6 = (-8k + 10) / (k + 1)$	1/2 1/2 1/2

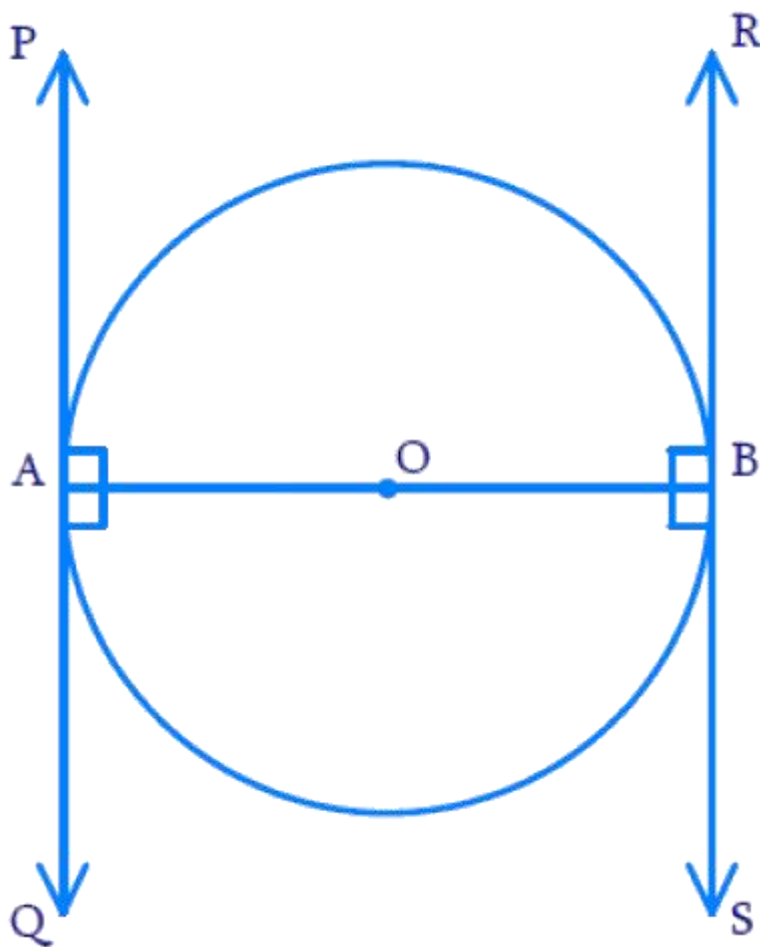
.....
 $-4k - 4 = 3k - 6$ and $6k + 6 = -8k + 10$
 $-7k = -2$ and $14k = 4$
 $k = 2/7$ and $k = 4/14 = 2/7$
Hence, the point C divides line segment AB in the ratio 2 : 7.

1/2

29.

सिद्ध कीजिए कि किसी वृत्त के व्यास के सिरे पर खींची गई स्पर्श रेखाएँ समांतर होती हैं।
Prove that the tangents drawn at the ends of a diameter of a circle are parallel.
Proof:

A tangent to a circle is a line that intersects the circle at only one point.
Let's draw the tangents PQ and RS to the circle at the ends of the diameter AB.



1/2

.....
According to Theorem 10.1: The tangent at any point of a circle is perpendicular to the radius through the point of contact.
We know that radius is perpendicular to the tangent at the point of contact.
Thus, $OA \perp PQ$ and $OB \perp RS$

1/2

.....
Since the tangents are perpendicular to the radius,
 $\angle PAO = 90^\circ$, $\angle RBO = 90^\circ$
and $\angle OAQ = 90^\circ$, $\angle OBS = 90^\circ$
Here $\angle OAQ = \angle OBR$ and $\angle PAO = \angle OBS$, which are two pairs of alternate interior angles.

1/2

.....

$\Rightarrow PQ \parallel RS$

Hence, it is proved that tangents drawn at the ends of a diameter of a circle are parallel.

1/2

30.

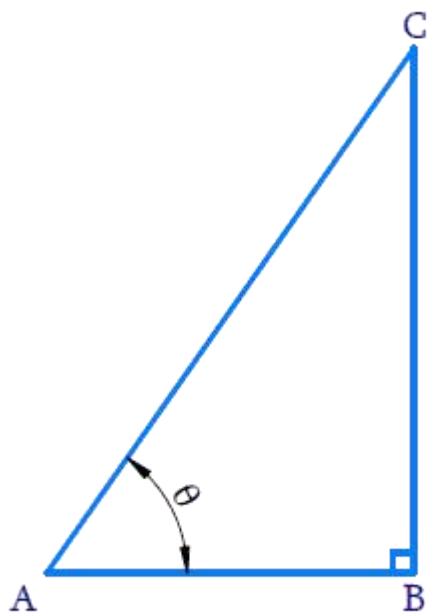
यदि $\cot \theta = \frac{7}{8}$ है, तो $\frac{(1+\sin\theta)(1-\sin\theta)}{(1+\cos\theta)(1-\cos\theta)}$ का मान ज्ञात कीजिए

If $\cot \theta = \frac{7}{8}$, then evaluate $\frac{(1+\sin\theta)(1-\sin\theta)}{(1+\cos\theta)(1-\cos\theta)}$

Solution:

We will use the basic concepts of trigonometric ratios to solve the problem.

Consider $\triangle ABC$ as shown below where angle B is a right angle.



$\cot \theta = \text{side adjacent to } \theta / \text{side opposite to } \theta = AB/BC = 7/8$

Let $AB = 7k$ and $BC = 8k$, where k is a positive integer.

By applying Pythagoras theorem in $\triangle ABC$, we get

$$AC^2 = AB^2 + BC^2$$

$$= (7k)^2 + (8k)^2$$

$$= 49k^2 + 64k^2$$

$$= 113k^2$$

$$AC = \sqrt{113}k$$

1/2

.....

Therefore, $\sin \theta = \text{side opposite to } \theta / \text{hypotenuse} = BC/AC = 8k/\sqrt{113}k = 8/\sqrt{113}$

$\cos \theta = \text{side adjacent to } \theta / \text{hypotenuse} = AB/AC = 7k/\sqrt{113}k = 7/\sqrt{113}$

1/2

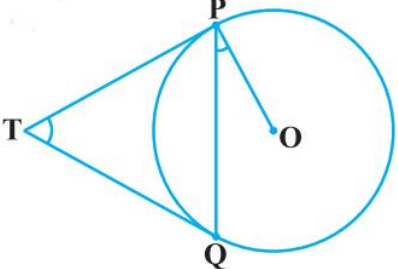
.....

[illegible]

	Solution: ∴ Total area cleaned at each sweep of the blades = 2 × Area cleaned at the sweep of each wiper. Area cleaned at the sweep of each wiper = Area of the sector of a circle with radius 25 cm at an angle of 115° $= \frac{\theta}{360^\circ} \times \pi r^2$ $= \frac{115^\circ}{360^\circ} \times \pi \times 25 \times 25$ $= \frac{23}{72} \times 625\pi \text{ cm}^2$ There are two identical blade-length wipers. ∴ Total area cleaned at each sweep of the blades = $2 \times \frac{23}{72} \times 625\pi$ $= 2 \times \frac{23}{72} \times 625 \times \frac{22}{7}$ $= \frac{(23 \times 11 \times 625)}{(18 \times 7)}$ $= \frac{158125}{126} \text{ cm}^2$ $= 1254.96 \text{ cm}^2$	1/2 1/2 1/2 1/2
	SECTION-C	
33.	सिद्ध कीजिए कि $3 + 2\sqrt{5}$ एक अपरिमेय संख्या है। Prove that $3 + 2\sqrt{5}$ is irrartional. Let's assume that $3 + 2\sqrt{5}$ is rational $\Rightarrow 3 + 2\sqrt{5} = a/b$ where a and b are integers that have no common factor other than 1 and $b \neq 0$. $b(3 + 2\sqrt{5}) = a$ $3b + 2\sqrt{5}b = a$ $2\sqrt{5}b = a - 3b$ $\sqrt{5} = (a - 3b)/2b$ Since $(a - 3b)/2b$ is a rational number, then $\sqrt{5}$ is also a rational number. But, we know that $\sqrt{5}$ is irrational. Therefore, our assumption is wrong that $3 + 2\sqrt{5}$ is rational. Hence, $3 + 2\sqrt{5}$ is irrational.	1 1 1
34.(a)	एक त्रिभुज के कोण x, y और 40° हैं। दो कोणों x और y के बीच का अंतर 30° है। x और y ज्ञात कीजिए। The angles of a triangle are x,y and 40° . The difference between the two angles x and y is 30°.Find x and y . Solution: Since the is 180° $x + y + 40^\circ = 180^\circ$ (sum of all the angles of a triangle) $x + y = 140^\circ$------(1)	1

	 $x - y = 30^\circ$------(2) Adding (1) and (2), we get, $2x = 170^\circ$ $x = 85^\circ$ Substituting $x = 85^\circ$ in (1), we get, $85^\circ + y = 140^\circ$ $y = 55^\circ$. $x = 85^\circ$ $y = 55^\circ$. Therefore, the values of x and y are 85° and 55°, respectively.	1 1/2 1/2
OR 34.(b)	रैखिक समीकरणों के निम्नलिखित युग्म को हल कीजिए: $\frac{3x}{2} - \frac{5y}{3} = -2$ और $\frac{x}{3} + \frac{y}{2} = \frac{13}{6}$ Solve the following pair of linear equations: $\frac{3x}{2} - \frac{5y}{3} = -2$; $\frac{x}{3} + \frac{y}{2} = \frac{13}{6}$ Solution : Given, pair of linear equations are $\frac{3x}{2} - \frac{5y}{3} = -2 \Rightarrow 9x - 10y = -12$.....(i) $\frac{x}{3} + \frac{y}{2} = \frac{13}{6} \Rightarrow 2x + 3y = 13$.....(ii) Now, adding $3 \times \text{eq. (i)}$ and $10 \times \text{eq. (ii)}$, we get $27x + 20y = -36 + 130 \Rightarrow 47x = 94$ $\Rightarrow x = 94/47 = 2$ Now, put the value of x in eq. (i), we get $9 \times 2 - 10y = -12 \Rightarrow 10y = 18 + 12$ $\Rightarrow 10y = 30 \Rightarrow y = 3$ Hence, the required values of x and y are 2 and 3, respectively.	1/2 1/2 1/2 1/2 1/2 1/2
35.(a)	यदि बिंदुओं A(3,4) और B(k,6) को मिलाने वाले रेखाखंड का मध्य-बिंदु P(x,y) है और	

	$x + y - 10 = 0$ है, तो k का मान ज्ञात कीजिए। If the mid-point of the line segment joining the points A (3, 4) and B (k, 6) is P (x, y) and $x + y - 10 = 0$, find the value of k Solution: The midpoint of the line segment joining the points A(3, 4) and B(k, 6) is P(x, y) $[(3 + k)/2, (4 + 6)/2] = (x, y)$ $[(3 + k)/2, (10)/2] = (x, y)$ $[(3 + k)/2, 5] = (x, y)$ So, $x = 3 + k/2$ and $y = 5$ Put the value of x and y in the given equation of the line, $(3 + k)/2 + 5 - 10 = 0$ $(3 + k)/2 - 5 = 0$ $(3 + k)/2 = 5$ $3 + k = 10$ $k = 10 - 3$ $k = 7$ Therefore, the value of k is 7.	1 1 1
OR 35.(b)	निर्धारित कीजिए कि बिंदु (1,5), (2,3) और (-2,-11) संरेख हैं या नहीं। Determine if the points (1, 5), (2, 3) and (- 2, - 11) are collinear Solution: To find AB, the Distance between the Points A (1, 5) and B (2, 3), let $x_1 = 1, y_1 = 5, x_2 = 2, y_2 = 3$ $\therefore AB = \sqrt{(2 - 1)^2 + (3 - 5)^2} = \sqrt{5}$ (using distance formula) To find BC Distance between Points B (2, 3) and C (- 2, - 11), let $x_1 = 2, y_1 = 3, x_2 = - 2, y_2 = - 11$ Therefore, $BC = \sqrt{(-2 - 2)^2 + (-11 - 3)^2}$ (using distance formula) $= \sqrt{(-4)^2 + (-14)^2}$ $= \sqrt{16 + 196}$ $= \sqrt{212}$ To find AC Distance between Points A (1, 5) and C (-2, -11), let $x_1 = 1, y_1 = 5, x_2 = -2, y_2 = -11$	1/2 1/2

	Therefore, $CA = \sqrt{(-2 - 1)^2 + (-11 - 5)^2}$ (using distance formula) $= \sqrt{(-3)^2 + (-16)^2} = \sqrt{9 + 256}$ $= \sqrt{265}$ $AB = \sqrt{5}, BC = \sqrt{212}, CA = \sqrt{265}$ Since $AB + AC \neq BC$ and $BC + AC \neq AB$ and $AB + BC \neq AC$, therefore, the points (1, 5), (2, 3), and (- 2, - 11) are not collinear.	1/2 1 1/2
36.	केंद्र O वाले एक वृत्त पर, एक बाहरी बिंदु T से दो स्पर्श रेखाएँ TP और TQ खींची गई हैं। सिद्ध कीजिए कि $\angle PTQ = 2 \angle OPQ$ है। Two tangents TP and TQ are drawn to a circle with centre O from an external point T. Prove that $\angle PTQ = 2 \angle OPQ$. Solution : Let $\angle PTQ = \theta$  Now , by theorem 10 . 2 , $TP = TQ$.So, TPQ is an isosceles triangle $\Rightarrow \angle TPQ = \angle TQP = \frac{1}{2}(180^\circ - \theta) = 90^\circ - \frac{1}{2}\theta$ $\Rightarrow \angle OPQ = \angle OPT - \angle TPQ = 90^\circ - \left(90^\circ - \frac{1}{2}\theta\right) = \frac{1}{2}\theta = \frac{1}{2}\angle PTQ$ $\Rightarrow \angle PTQ = 2 \angle OPQ$	1/2 1/2 1/2 1 1/2
37.	एक बक्से में 90 डिस्क हैं, जिन पर 1 से 90 तक की संख्याएँ अंकित हैं। यदि बक्से में से यादृच्छया	

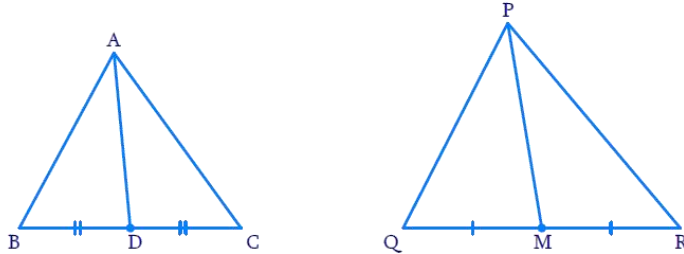
	एक डिस्क निकाली जाती है, तो इसकी प्रायिकता ज्ञात कीजिए कि इस पर अंकित संख्या (i) दो अंकों की संख्या है (ii) एक पूर्ण वर्ग संख्या है (iii) 5 से विभाज्य संख्या है। A box contains 90 discs which are numbered from 1 to 90. If one disc is drawn at random from a box, find the probability that it bears (i) a two - digit number (ii) a perfect square number (iii) a number divisible by 5 . Solution: Total discs are 90 , numbered 1 to 90. (i)Favourable two-digit numbered discs are 10,11,.....,89,90 ∴ Probability of getting a two-digit numbered disc = $\frac{81}{90} = \frac{9}{10}$ (ii)Favourable cases for a perfect square number are 1,4,9,16,25,36,49,64,81 ∴ Probability of getting a perfect square numbered disc = $\frac{9}{90} = \frac{1}{10}$ (iii)Favourable cases for a number divisible by 5 are 5,10,15,20,.....,90 ∴ Probability of getting a disc numbered divisible by 5 = $\frac{18}{90} = \frac{1}{5}$	1/2+1/2 1/2+1/2 1/2+1/2
	SECTION-D	
38.(a)	समीकरण हल कीजिए : $1 + 4 + 7 + 10 + + x = 287$ Solve the equation : $1 + 4 + 7 + 10 +...+ x =287$ Solution: The is given by Here, first term, a = 1 Common difference, d = 4 - 1 = 3 sum of the first n terms of an AP $S_n = n/2[2a + (n-1)d]$ So, $287 = n/2[2(1) + (n - 1)3]$ $287 = n/2[2 + 3n - 3]$ $287 = n/2[3n - 1]$ $574 = n(3n - 1)$ $3n^2 - n = 574$ $3n^2 - n - 574 = 0$ 	1 1 1

Sides AB and BC and median AD of a triangle ABC are respectively proportional to sides PQ and QR and median PM of $\triangle PQR$ (See Fig.) Show that $\triangle ABC \sim \triangle PQR$.

Sides AB and BC and median AD of a triangle ABC are respectively proportional to sides PQ and QR and median PM of another triangle PQR.

Show that $\triangle ABC \sim \triangle PQR$.

Proof:



.....

In $\triangle ABC$ and $\triangle PQR$

$$AB/PQ = BC/QR = AD/PM \text{ [given]}$$

.....

AD and PM are median of $\triangle ABC$ and $\triangle PQR$ respectively

$$\Rightarrow BD/QM = (BC/2)/(QR/2) = BC/QR$$

.....

Now, in $\triangle ABD$ and $\triangle PQM$

$$AB/PQ = BD/QM = AD/PM$$

$$\Rightarrow \triangle ABD \sim \triangle PQM \text{ [SSS criterion]}$$

.....

Now, in $\triangle ABC$ and $\triangle PQR$

$$AB/PQ = BC/QR \text{ [given in the statement]}$$

$$\angle ABC = \angle PQR \text{ [}\because \triangle ABD \sim \triangle PQM\text{]}$$

.....

$$\Rightarrow \triangle ABC \sim \triangle PQR \text{ [SAS criterion]}$$

1/2

1

1

1 1/2

1

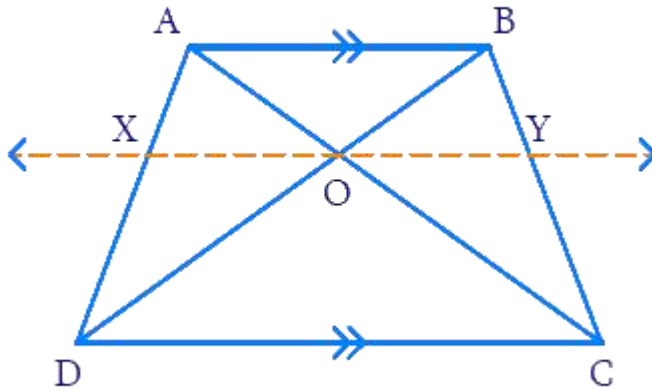
OR
39.(b)

ABCD एक समलंब है जिसमें $AB \parallel DC$ है, और इसके विकर्ण एक-दूसरे को बिंदु O पर प्रतिच्छेद करते हैं। दर्शाइए कि $\frac{AO}{BO} = \frac{CO}{DO}$ है।

ABCD is a trapezium in which $AB \parallel DC$ and its diagonals intersect each other at the point O. Show that $\frac{AO}{BO} = \frac{CO}{DO}$.

Solution:

Consider the trapezium ABCD as shown below.



.....
In trapezium ABCD,

$AB \parallel CD$

Also, AC and BD intersect at point O.

Construct XY parallel to AB and CD ($XY \parallel AB$, $XY \parallel CD$) through point O

.....
In $\triangle ABC$

$OY \parallel AB$ (construction)

According to Basic Proportionality Theorem

$BY/CY = AO/OC$ (1)

.....
In $\triangle BCD$

$OY \parallel CD$ (construction)

According to Basic Proportionality Theorem

$BY/CY = OB/OD$ (2)

.....
From equations (1) and (2)

$OA/OC = OB/OD$

.....
 $\Rightarrow OA/OB = OC/OD$

Hence proved.

40.(a) एक सीधी सड़क के ठीक ऊपर एक गुब्बारे से, किसी क्षण दो कारों के अवनमन कोण 45° और 60° पाए जाते हैं। यदि कारों के बीच की दूरी 100 m है, तो गुब्बारे की ऊँचाई ज्ञात कीजिए।

From a balloon vertically above a straight road, the angles of depression of two cars at an instant are found to be 45° and 60° . If the cars are 100 m apart, find the height of the balloon

Solution:

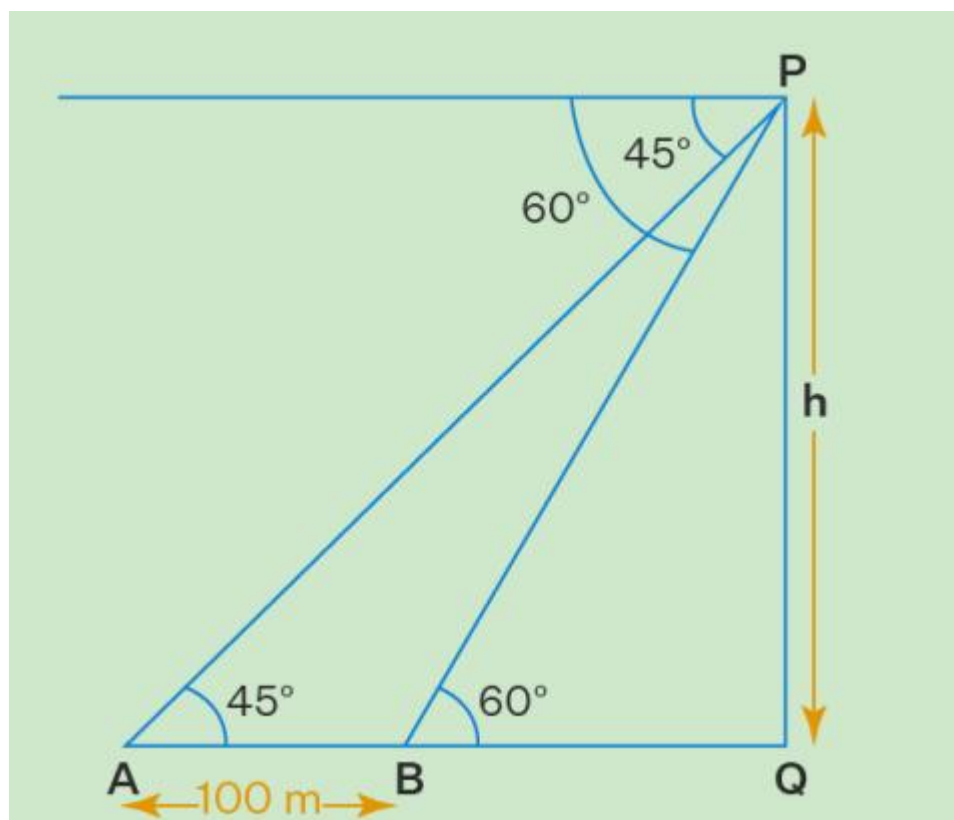
Consider the height of the balloon at P be h meters.

Consider A and B as the two cars.

So AB = 100 m.

In $\triangle PAQ$,

AQ = PQ = h



In $\triangle PBQ$,

$$PQ/BQ = \tan 60^\circ = \sqrt{3}$$

From the figure

$$h / (h - 100) = \sqrt{3}$$

By cross multiplication

$$h = \sqrt{3}(h - 100)$$

So we get

$$h = 100\sqrt{3} / (\sqrt{3} - 1)$$

Let us multiply and divide by $(\sqrt{3} + 1)$
 $= [100\sqrt{3} / (\sqrt{3} - 1)] \times [(\sqrt{3} + 1) / (\sqrt{3} + 1)]$
 By further calculation
 $= (100 \times 3 + 100\sqrt{3}) / (3 - 1)$
 $= 100(3 + \sqrt{3}) / 2$

So we get
 $= 50(3 + \sqrt{3}) \text{ m}$
 Therefore, the height of the balloon is $50(3 + \sqrt{3}) \text{ m}$.

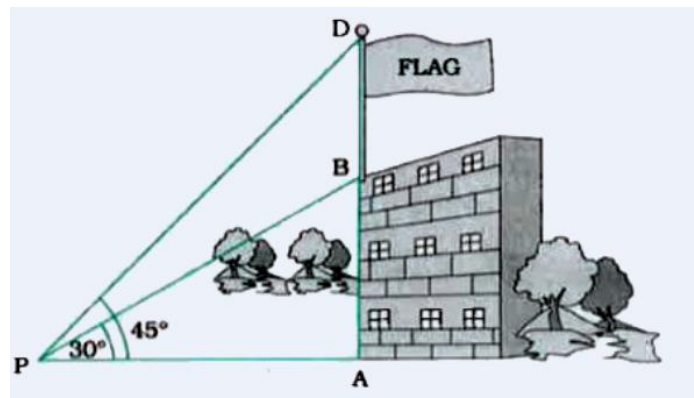
1

1/2

OR
 40.(b)

जमीन पर एक बिंदु P से 10 मीटर ऊंची इमारत के शीर्ष का उन्नयन कोण 30° है। एक ध्वज इमारत के ऊपर फहराया गया है और P से ध्वज के ऊपर का उन्नयन कोण 45° है। ध्वजदंड की लंबाई और बिंदु P से इमारत की दूरी ज्ञात कीजिए। (आप $\sqrt{3} = 1.732$ ले सकते हैं।)

From a point P on the ground the angle of elevation of the top of a 10 m tall building is 30° . A flag is hoisted at the top of the building and the angle of elevation of the top of the flagstaff from P is 45° . Find the length of the flagstaff and the distance of the building from the point P.
 (You may take $\sqrt{3} = 1.732$)



In Figure, AB = height of the building, BD = the flagstaff ,

In right triangle PAB , $\tan 30^\circ = \frac{AB}{AP}$

$$\Rightarrow \frac{1}{\sqrt{3}} = \frac{10}{AP}$$

$$\Rightarrow AP = 10\sqrt{3}$$

$\therefore$ the distance of the building from P = $10\sqrt{3} = 10 \times 1.732 = 17.32 \text{ m}$

In right triangle PAD , $\tan 45^\circ = \frac{AD}{AP} = \frac{10 + DB}{10\sqrt{3}}$

1

1/2

1/2

1/2

	$\Rightarrow 1 = \frac{10 + DB}{10\sqrt{3}}$ $\Rightarrow DB = 10\sqrt{3} + 10 = 10(\sqrt{3} - 1)$ $= 10 (1.732 - 1) = 7.32 \text{ m}$ $\Rightarrow \text{the length of the flagstaff} = 7.32 \text{ m}$	1 1/2 1/2 1/2
41.(a)	लकड़ी का एक खिलौना रॉकेट, जैसा कि चित्र में दिखाया गया है, एक बेलन के ऊपर लगे शंकु के आकार का है। पूरे रॉकेट की ऊँचाई 26 cm है, जबकि शंकु वाले भाग की ऊँचाई 6 cm है। शंकु वाले भाग के आधार का व्यास 5 cm है, जबकि बेलनाकार भाग के आधार का व्यास 3 cm है। यदि शंकु वाले भाग को नारंगी रंग से और बेलनाकार भाग को पीले रंग से रंगा जाना है, तो इन दोनों रंगों से रंगे जाने वाले रॉकेट के भाग का क्षेत्रफल ज्ञात कीजिए। ($\pi = 3.14$ लीजिए) A wooden toy rocket is in the shape of a cone mounted on a cylinder , as shown in Figure. The height of the entire rocket is 26 cm , while the height of the conical part is 6 cm . The base of the conical portion has a diameter of 5 cm , while the base diameter of the cylindrical portion is 3 cm . If the conical portion is to be painted orange and the cylindrical portion yellow , find the area of the rocket painted with each of these colours . (Take $\pi = 3.14$) Solution: Radius of base, $r = 5 \text{ cm} / 2 = 2.5 \text{ cm}$ Height of cone, $h' = 6 \text{ cm}$ Height of cylinder, $h = 26 \text{ cm} - 6 \text{ cm} = 20 \text{ cm}$ The slant height l of the cone is given by: $l = \sqrt{r^2 + h'^2} = \sqrt{(2.5)^2 + (6)^2} = \sqrt{6.25 + 36} = \sqrt{42.25} = 6.5 \text{ cm}$ Orange painted area = CSA of Cone + Base area of cone - Base area of cylinder $= \pi r l + \pi r^2 - \pi (r')^2$ $= \pi [(2.5 \times 6.5) + (2.5)^2 - (1.5)^2] \text{ cm}^2$ $= \pi [20.25] = 3.14 \times 20.25$ $= 63.585 \text{ cm}^2$	1/2 1 1 1/2 1/2

$$= \pi r^2 H - \frac{2}{3}\pi r^3 - \frac{1}{3}\pi r^2 h$$

1

$$= \frac{1}{3}\pi r^2 (3H - h - 2r)$$

1/2

$$= \frac{1}{3} \times \frac{22}{7} \times 60 \text{ cm} \times 60 \text{ cm} \times (3 \times 180 \text{ cm} - 120 \text{ cm} - 2 \times 60 \text{ cm})$$

1

$$= \frac{1}{3} \times \frac{22}{7} \times 60 \text{ cm} \times 60 \text{ cm} \times 300 \text{ cm}$$

$$= 7920000/7 \text{ cm}^3$$

1

$$= 1131428.57/1000000 \text{ m}^3$$

$$= 1.13142657 \text{ m}^3$$

Thus, the volume of water left in the cylinder is 1.131 m^3 .

1/2

- 42.(a) नीचे दिया गया बंटन एक इलाके के बच्चों के दैनिक जेब खर्च को दर्शाता है। जेब खर्च का माध्य ₹ 18 है। लुप्त बारंबारता f ज्ञात कीजिए।

दैनिक जेब खर्च (₹ में)	11-13	13-15	15-17	17-19	19-21	21-23	23-25
बच्चों की संख्या	7	6	9	13	f	5	4

The following distribution shows the daily pocket allowance of children of a locality. The mean pocket allowance is ₹ 18 . Find the missing frequency f .

Daily pocket allowance(in ₹)	11-13	13-15	15-17	17-19	19-21	21-23	23-25
Number of children	7	6	9	13	f	5	4

The following distribution shows the daily pocket allowance of children of a locality. The mean pocket allowance is Rs18. Find the missing frequency f

Solution:

Daily pocket allowance(in ₹)(C.I.)	Number of children(f_i)	Class Mark (x_i)	$u_i = \frac{x_i - a}{h}$	$f_i u_i$
11-13	7	12	-3	-21
13-15	6	14	-2	-12
15-17	9	16	-1	-9
17-19	13	18 = a	0	0
19-21	f	20	1	f
21-23	5	22	2	10
23-25	4	24	3	12
	$\sum f_i = 44 + f$			$\sum f_i u_i = -20 + f$

	[1/2] [1/2] [1/2] [1] Here a = 18, h = 2 Using the step- deviation method, Mean = a + $\frac{\sum f_i u_i}{\sum f_i} \times 2$ 18= 18 + $\frac{-20+f}{44+f} \times 20$ $\Rightarrow -20+f = 0$ $\Rightarrow f = 20$	$2\frac{1}{2}$ 1/2 1 1/2 1/2																												
OR 42.(b)	निम्नलिखित आँकड़ों , 225 बिजली उपकरणों के प्रेक्षित जीवनकाल (घंटों में) के बारे में जानकारी देते है: <table><tr><td>जीवनकाल (घंटों में)</td><td>0-20</td><td>20-40</td><td>40-60</td><td>60-80</td><td>80-100</td><td>100-120</td></tr><tr><td>बारंबारता</td><td>10</td><td>35</td><td>52</td><td>61</td><td>38</td><td>29</td></tr></table> उपकरणों का बहुलक जीवनकाल ज्ञात कीजिए। The following data gives the information on the observed lifetimes (in hours) of 225 electrical components: <table><tr><td>Lifetimes (in hours)</td><td>0-20</td><td>20-40</td><td>40-60</td><td>60-80</td><td>80-100</td><td>100-120</td></tr><tr><td>Frequency</td><td>10</td><td>35</td><td>52</td><td>61</td><td>38</td><td>29</td></tr></table> Determine the modal lifetimes of the components. Solution:	जीवनकाल (घंटों में)	0-20	20-40	40-60	60-80	80-100	100-120	बारंबारता	10	35	52	61	38	29	Lifetimes (in hours)	0-20	20-40	40-60	60-80	80-100	100-120	Frequency	10	35	52	61	38	29	
जीवनकाल (घंटों में)	0-20	20-40	40-60	60-80	80-100	100-120																								
बारंबारता	10	35	52	61	38	29																								
Lifetimes (in hours)	0-20	20-40	40-60	60-80	80-100	100-120																								
Frequency	10	35	52	61	38	29																								

C.I.	Frequency
0-20	10
20-40	35
40-60	52
60-80	61
80-100	38
100-120	29

→ *Modal class*

Maximum frequency (f_1)= 61

∴ Modal class is 60-80

.....

Here , $l = 60$, $f_1= 61$, $f_0= 52$. $f_2=38$, $h= 20$

.....

∴ Mode = $l + \left(\frac{f_1-f_0}{2f_1-f_0-f_2}\right) \times h$

$= 60 + \left(\frac{61-52}{122-52-38}\right) \times 20$

$= 60+5.625$

$= 65.625$ hours.

1

1

1

1

1